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## SOLVING EQUATIONS WITH CUBE ROOTS

Taking the cube root of a number is the opposite, or inverse, of cubing it. So, you can solve some equations using cube roots.

Let's try it! Solve $x^{3}=-8$ for $x$.

$$
\begin{aligned}
x^{3} & =-8 \\
\sqrt[3]{x^{3}} & =\sqrt[3]{-8} \\
x & \text { Take the cube root of both sides of the equation. } \\
x & \text { Since }(-2)^{3}=(-2) \cdot(-2) \cdot(-2)=-8, \text { the cube root of }-8 \text { is }-2 .
\end{aligned}
$$

In the example above, you can simplify the cube root of -8 to get -2 since -8 is a perfect cube.
Consider solving an equation like $x^{3}=15$. Because 15 is not a perfect cube, you would need to write your answer using the cube root symbol. So, the exact solution of $x^{3}=15$ is $x=\sqrt[3]{15}$.

Try it yourself! Solve each equation for the variable. Don't forget to check if you're taking the cube root of a perfect cube or not!

| $b^{3}=64$ | $f^{3}=2$ | $z^{3}=-27$ |
| :---: | :---: | :---: |
| $h^{3}=216$ | $p^{3}=-9$ | $m^{3}=512$ |
| $c^{3}=-300$ | $r^{3}=125$ | $b^{3}=-729$ |
| $t^{3}=1,500$ | $n^{3}=1,000$ | $a^{3}=-1,331$ |
| $g^{3}=3,375$ | $y^{3}=-27,000$ | $d^{3}=6,400$ |

