Approximating Cube Roots

If you have a number that's not a perfect cube, you can approximate its cube root by finding the two whole numbers that the cube root falls between.

Try it! Approximate $\sqrt[3]{290}$.

Since 290 is not a perfect cube, approximate $\sqrt[3]{290}$ by first finding the two nearest perfect cubes. The perfect cube just below 290 is 216. The perfect cube just above 290 is 343.

Now, find the cube roots of the perfect cubes.

Since $\sqrt[3]{216} = 6$ and $\sqrt[3]{343} = 7$, $\sqrt[3]{290}$ must be **between 6 and 7**.



$$\sqrt[3]{216} < \sqrt[3]{290} < \sqrt[3]{343}$$

$$6 < \sqrt[3]{290} < 7$$

Approximate each cube root by finding the two whole numbers that it falls between.

- 1 $\sqrt[3]{16}$ is between _____ and _____.
- $\sqrt[3]{59}$ is between and .
- $\sqrt[3]{380}$ is between _____ and ____.
- 7 $\sqrt[3]{134}$ is between _____ and ____.
- 9 $\sqrt[3]{553}$ is between _____ and ____.
- 11) $\sqrt[3]{793}$ is between _____ and _____.

- 2 $\sqrt[3]{5}$ is between _____ and _____.
- 4 $\sqrt[3]{325}$ is between ____ and ____.
- 6 $\sqrt[3]{110}$ is between _____ and ____.
- **8** $\sqrt[3]{460}$ is between _____ and _____.
- 10 $\sqrt[3]{902}$ is between _____ and _____.
- 12 $\sqrt[3]{699}$ is between _____ and _____.

Challenge yourself! Approximate $\sqrt[3]{212}$ by finding the two whole numbers that it falls between. Which number do you think $\sqrt[3]{212}$ is closer to? Explain your reasoning.