## Practice Problems: <br> Parking Lot Multiplication

Use your cars to answer questions 1 and 2.
Then answer question 3.

1. The upper level of a parking lot has space for a $6 \times 4$ array of cars. How would that array look? How many cars can fit on the upper level in total?


Total: 24 cars

## Practice Problems: <br> Parking Lot Multiplication

## Use your cars to answer questions 1 and 2.

Then answer question 3.
2. The lower level of a parking lot has space for a $4 \times 6$ array of cars.

How would that array look? How many cars can fit on the lower level in total?
Total: 24 cars

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# Practice Problems: <br> Parking Lot Multiplication <br> Use your cars to answer questions 1 and 2. <br> Then answer question 3. 

3. Now that you have answered both Part A and B, what do you notice about the car arrangements? How does your work show the commutative property of multiplication?

I notice that the car arrangements include the same number of cars.
In Part A, there were 6 rows of 4, which is the multiplication expression $6 \times 4$. In Part B, there were 4 rows of 6 , which is the multiplication expression $4 \times 6$. Just like the commutative property of multiplication states that changing the order of the factors does not change the answer, the different arrangements of cars did not change the answer.
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## Practice Problems:

## Parking Lot Multiplication

Use what you know about arrays and the Commutative Property of Multiplication to solve problems 4, 5, and 6.
4. Engineers are planning to build new parking lots for a stadium. Lot 1 can fit 48 cars, but the engineers are trying to figure out the best arrangement for the cars. Using dots, show four array possibilities for Parking Lot 1. Label each array as a multiplication problem. Circle two arrays that represent the Commutative Property of Multiplication.

Student answers will vary, but may include arrays with:

- 24 rows of $2(24 \times 2)$
- 2 rows of $24(2 \times 24)$
- 16 rows of $3(16 \times 3)$
- 3 rows of $16(3 \times 16)$
- 1 row of $48(1 \times 48)$
- 48 rows of $1(48 \times 1)$

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## Practice Problems:

## Parking Lot Multiplication

Use what you know about arrays and the Commutative Property of Multiplication to solve problems 4, 5, and 6.
5. Engineers are planning to build new parking lots for a stadium. Lot 2 can fit 36 cars, but the engineers are trying to figure out the best arrangement for the cars. Using dots, show four array possibilities for Parking Lot 2. Label each array as a multiplication problem. Circle two arrays that represent the Commutative Property of Multiplication.

Student answers will vary, but may include arrays with:

- 1 row of $36(1 \times 36)$
- 36 rows of $1(36 \times 1)$
- 3 rows of $12(3 \times 12)$
- 12 rows of $3(12 \times 3)$
- 6 rows of $6(6 \times 6)$

$9 \times 4$
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## Practice Problems:

## Parking Lot Multiplication

Use what you know about arrays and the Commutative Property of Multiplication to solve problems 4,5, and 6.
6. Engineers are planning to build new parking lots for a stadium.

Lot 3 can fit 64 cars, but the engineers are trying to figure out the best arrangement for the cars. Using dots, show four array possibilities for Parking Lot 3. Label each array as a multiplication problem. Circle two arrays that represent the Commutative Property of Multiplication.

Student answers will vary, but may include arrays with:

- 1 row of $64(1 \times 64)$
- 64 rows of $1(64 \times 1)$
$(16 \times 4)$
- 2 rows of $32(2 \times 32)$
- 32 rows of $2(32 \times 2)$
- 8 rows of $8(8 \times 8)$
- 4 rows of $16(4 \times 16)$

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$(2 \times 32)$

